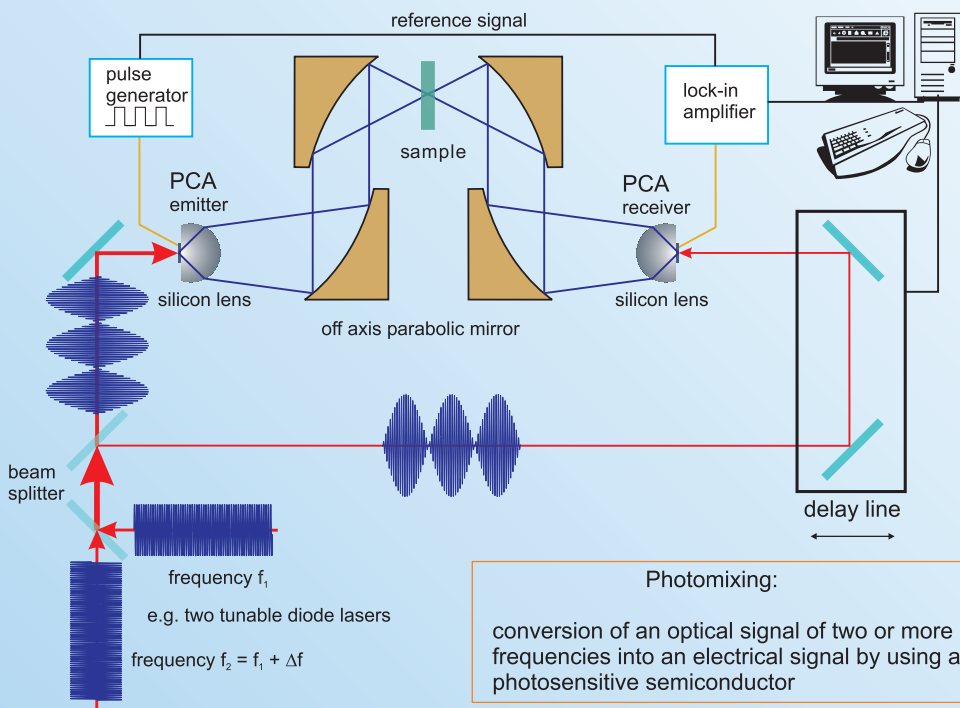


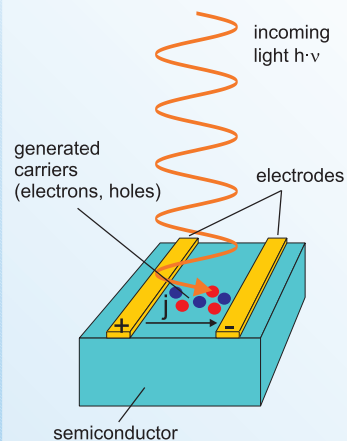
photoconductive antenna as photomixer

THz photomixing setup

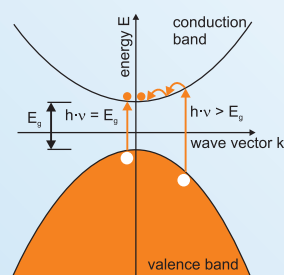


Photomixing:
conversion of an optical signal of two or more frequencies into an electrical signal by using a photosensitive semiconductor

Semiconductors as optical switch



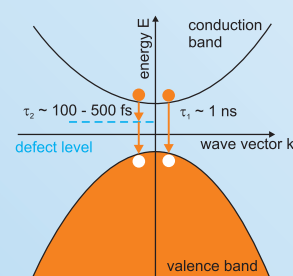
Carrier generation



- absorption of photons if $E_g < h \cdot \nu$
=> creation of electron-hole-pairs
e.g.
GaAs $E_g = 1.4\text{eV}$ (870 nm)
InGaAs $E_g = 0.4 \dots 1.4\text{eV}$ (870 nm .. 3.2 μm)

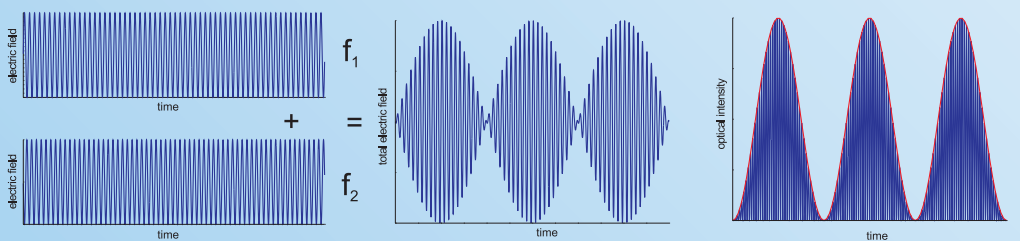
- interaction with the lattice phonons for $E_g < h \cdot \nu$

Relaxation processes



- recombination of electron-hole-pairs in direct semiconductors (e.g. GaAs): relaxation time $\tau_1 \sim 1\text{ ns}$
=> not suitable for THz-signals
- faster recombination in e.g. low temperature grown GaAs or InGaAs:
=> due to defects in the lattice relaxation times $\tau_2 \sim 200\text{ fs} - 500\text{ fs}$

Photomixing in semiconductors



two monochromatic plane waves at a fixed position $z=0$

$$E_1(t) = E_1 \cdot \cos(2\pi \cdot f_1 \cdot t)$$

$$E_2(t) = E_2 \cdot \cos(2\pi \cdot f_2 \cdot t)$$

with frequency f_1 and frequency $f_2 = f_1 + \Delta f$, $\Delta f \sim 1\text{ THz}$

from e.g. two tunable diode lasers

$$I = |E_1(t) + E_2(t)|^2 \sim \cos^2(\pi \cdot \Delta f \cdot t)$$

(difference frequency component, "slow" envelope of the optical power)

Conclusions:

- for a vanishing carrier density in the nodes of the optical intensity => relaxation time $\tau_2 < 1/(2\Delta f)$
- high absorption coefficient α of optical power => direct semiconductor: e.g. GaAs or InGaAs
- high carrier mobility μ for efficient terahertz emission and detection needed

According to the periodic illumination of the semiconductor (photoconductor) carriers (electrons, holes) are generated:

$$n \sim \alpha \cdot I$$

n - carrier density
 α - absorption coefficient
 I - intensity of the optical signal

With an applied electric field at the electrodes the current density is given by

$$j = \sigma \cdot E_{\text{bias}} \approx e \cdot n \cdot \mu \cdot E_{\text{bias}}$$

e - elementary charge
 σ - conductivity
 μ - carrier mobility
 E_{bias} - applied electric field

For the emitted terahertz field yields:
 $E_{\text{THz}} \sim \partial j / \partial t$

j - current density,
 E_{THz} - terahertz electric field strength

